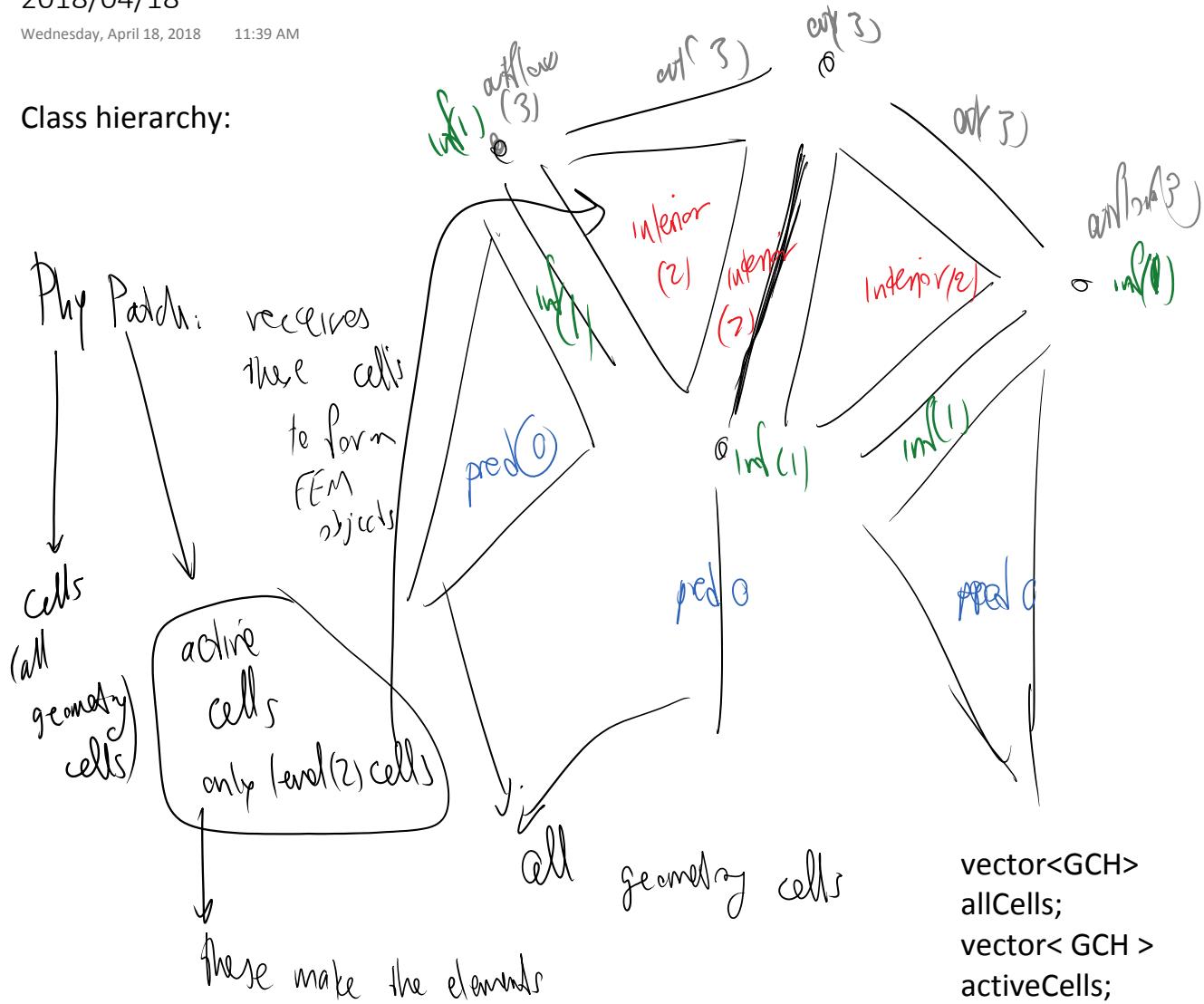


2018/04/18

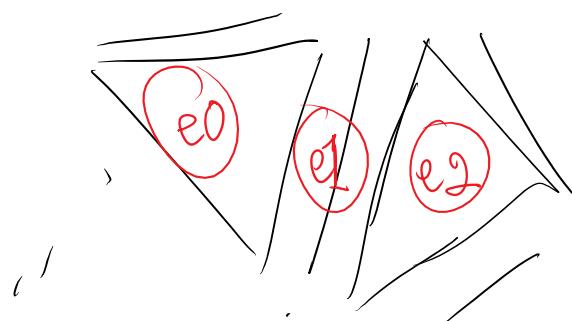
Wednesday, April 18, 2018 11:39 AM

Class hierarchy:



0. Phy Patch

class PhyPatch: public PhyPatchData

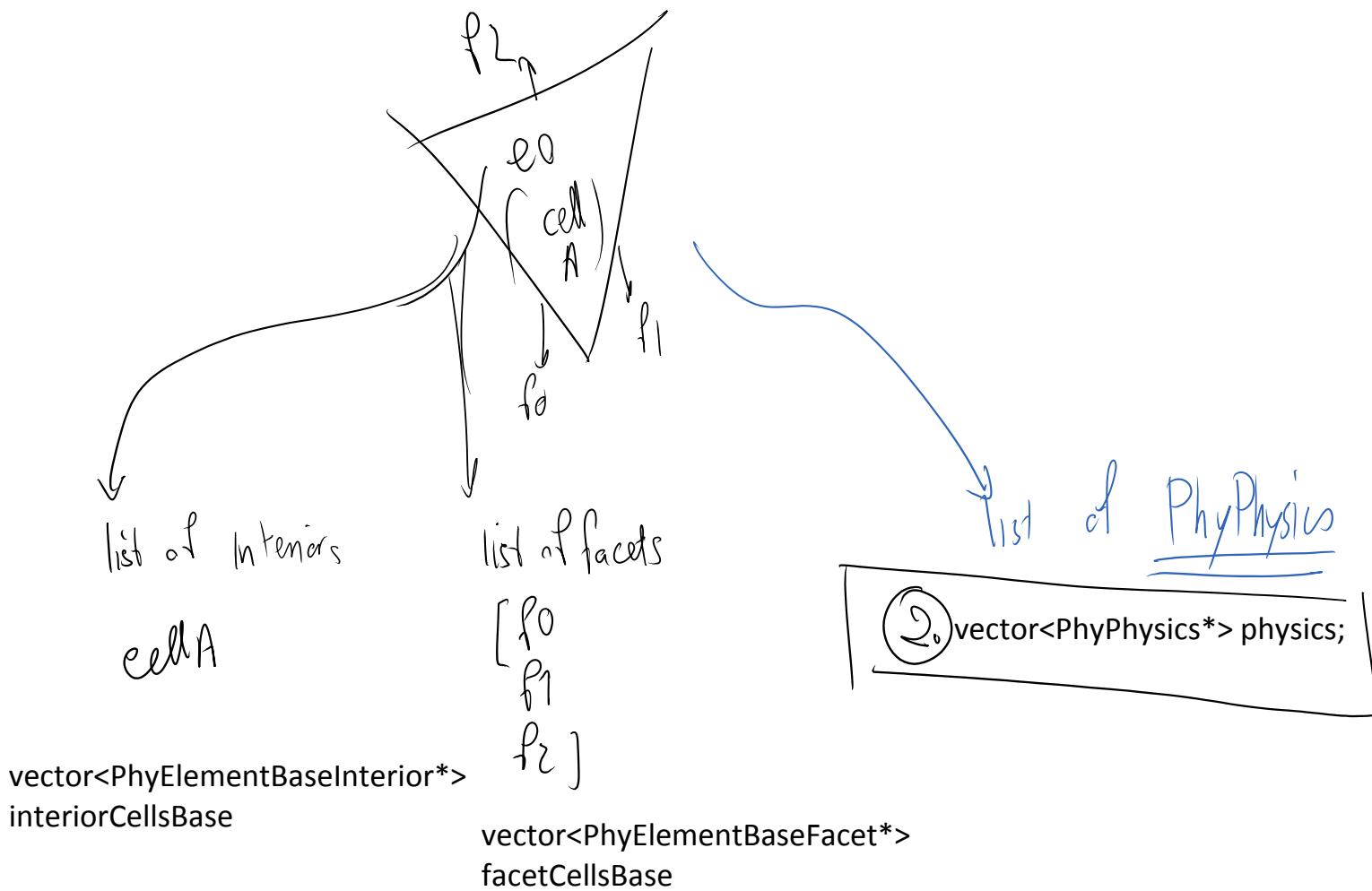


1. Phy Element
vector

vector<PhyElementBase*> phyElementsBase;

here 3 elements

2. PhyPhysics (each element has a list of physics) class PhyElementBase



Members of PhyPhysics and creation of PhyPhysics

For specific physics we need to derive them from a base PhyPhysics class.

There are many specific physics implementations. We use the notation of factory to create them.

PhyPhysics are created by a factory:

`Physics/PhysicsFactory.h`

```

PhyPhysics* createPhysics(subConfigRef subConRef);
PhyPhysics* createPhysics(subConfigRef subConRef)
{
    PhyPhysics* pp;
    int subConfigIndex = subConRef.subConfigIndex;
    int option;
    switch(subConRef.formulationT)
    {
        case CL:
            option = phyConf->subConf[subConfigIndex]->
                physics_options(0);
            pp = createCLInstance(option);
            break;
        case SL:
            pp = new SLPhysics();
            break;
    }
}

// the use of the factory in PhyElement
void PhyElementBase::setPhysics()
{
    num_physics = descProp.subConfigRefs.size();
    physics.resize(num_physics);
    for(int i = 0; i < num_physics; i++)
    {
        physics[i] =
            createPhysics(descProp.subConfigRefs[i]);
        physics[i]->phyLocInElement = i;
        physics[i]->peParent = this;
    }
}

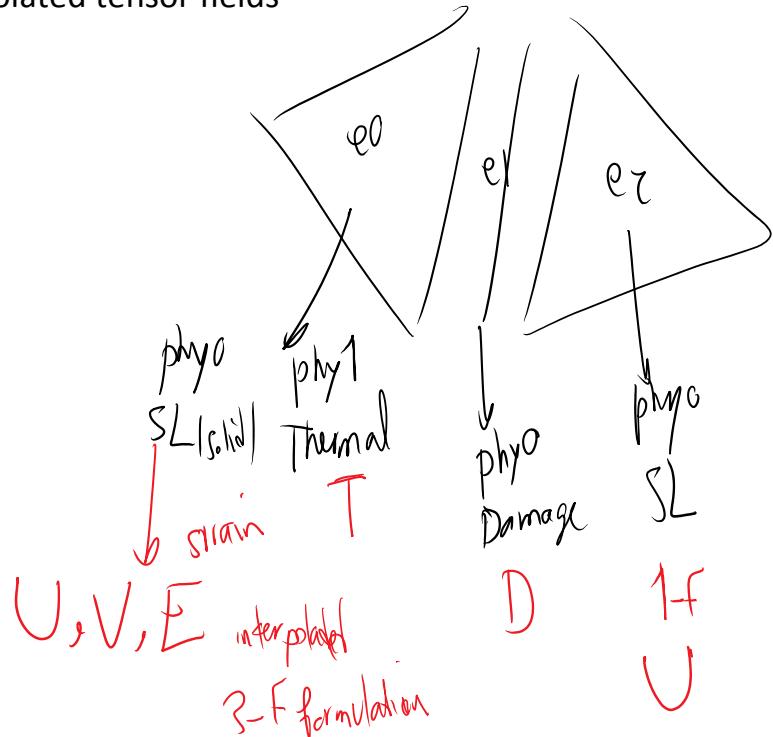
```

By using this function we create the vector of PhyPhysics inside the element.

What is inside PhyPhysics:

2. PhyPhysics has a vector of interpolated tensor fields

vector<PhyTensorField> pTFields;



4. class PhyTensorField

vTensor<phyField> physicsFs;

for example J has

U_0, J or βD
elastodynamics

E has E_0, E_1, E_2

for 2D ED

5. phy field Class:

class phyField

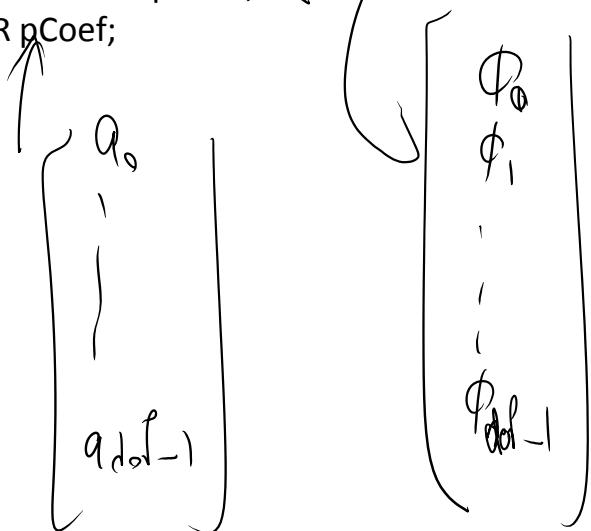
$$U_i = \sum_{j=1}^n \phi_j(x) a_j$$

```

class phyField
PhyBasisElement pBasis;
VECTOR pCoef;

```

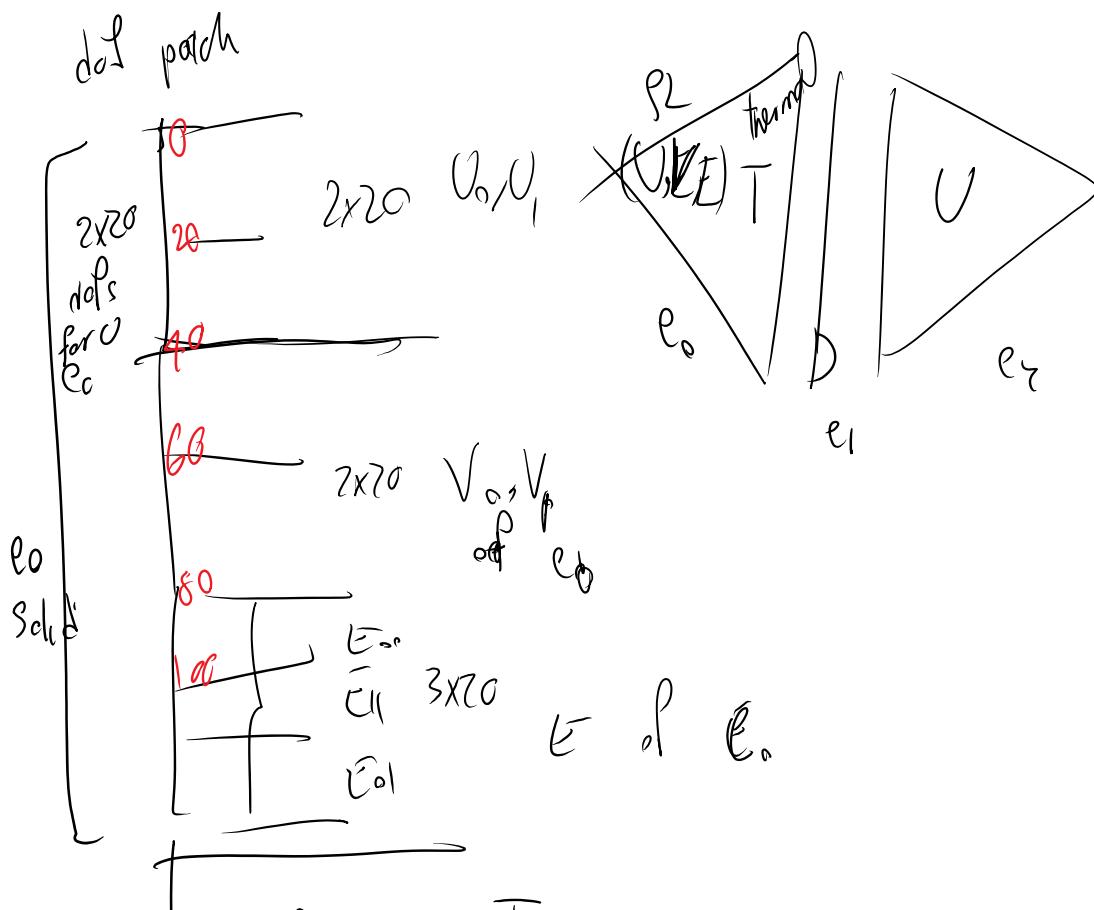
$$U_o = \sum_{i=0}^{\infty} \phi_i(x) a_i$$

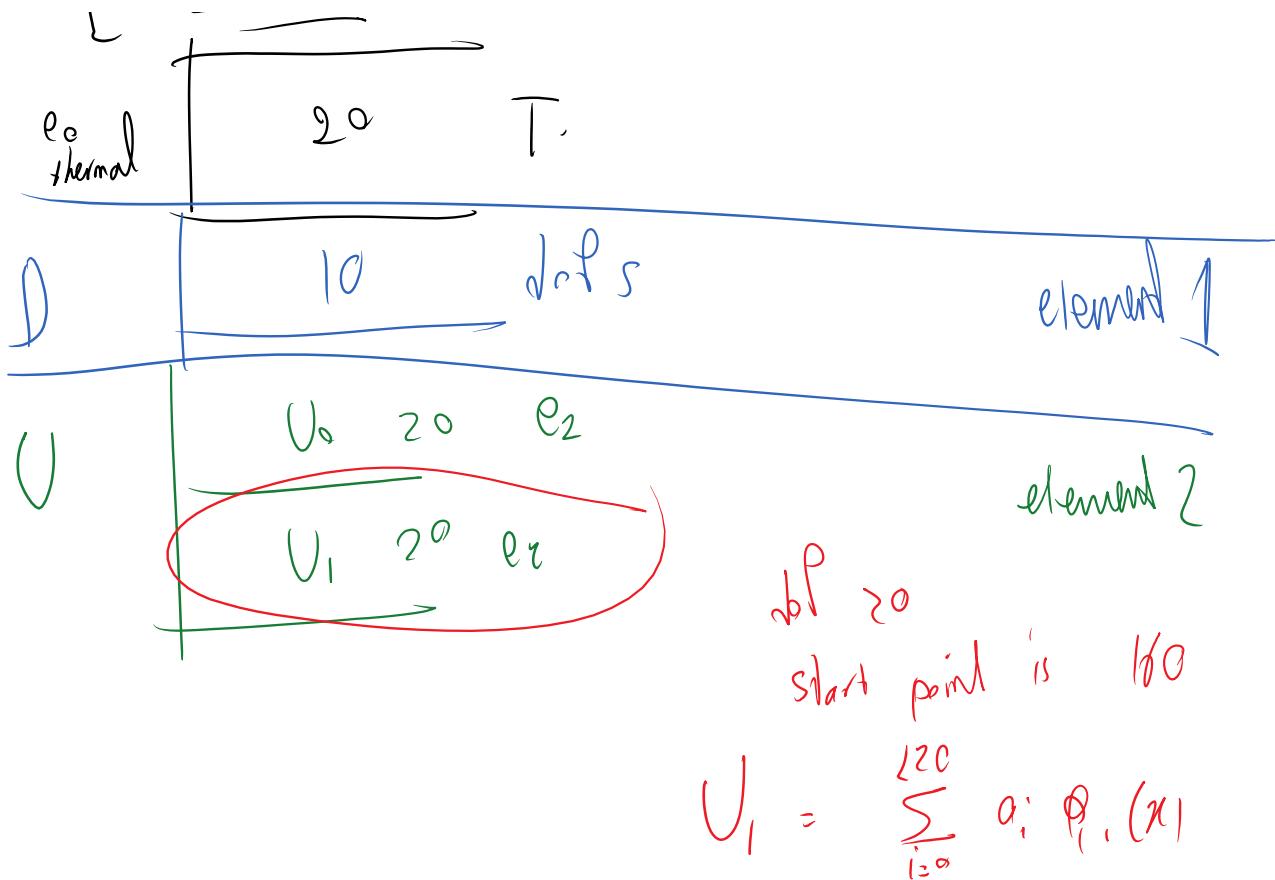


start point is
160

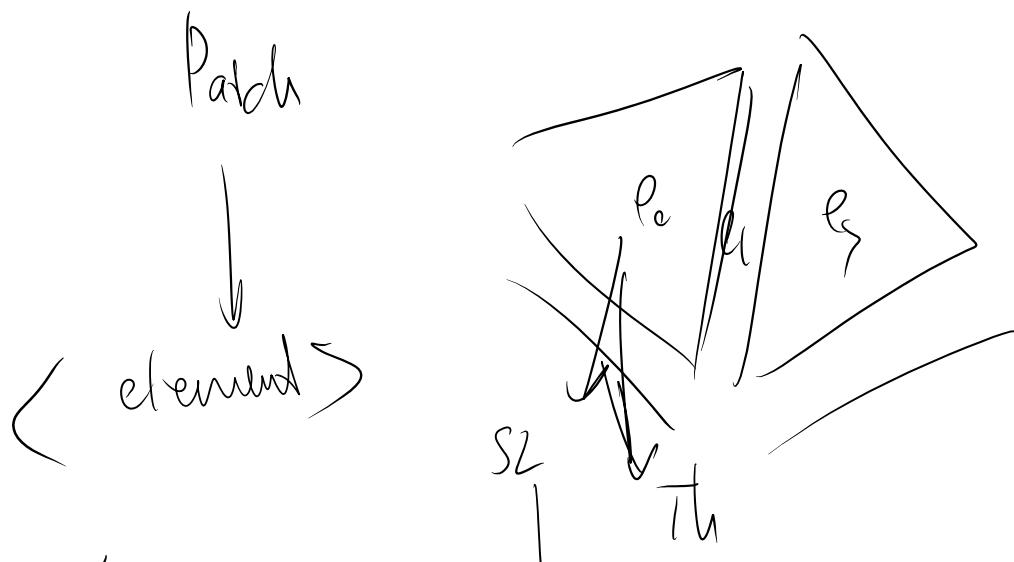
posDof pDof;

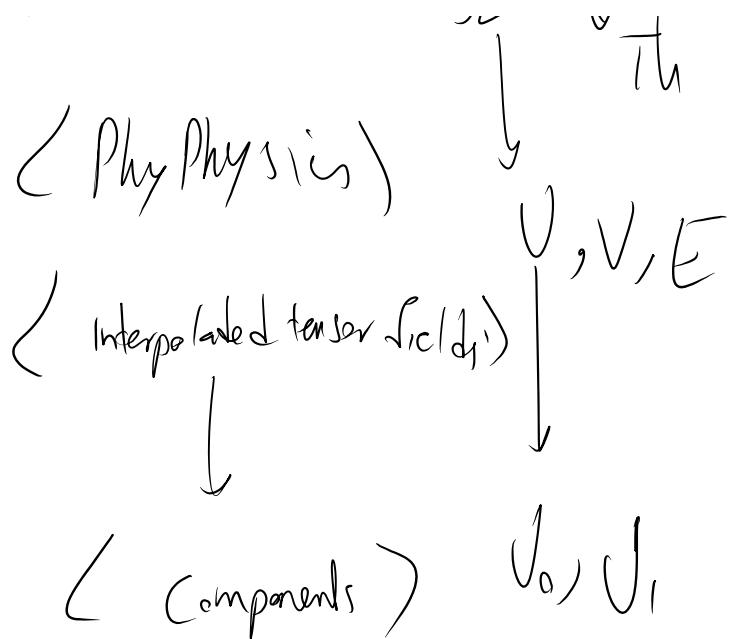
store the location of nodes of different
objects in patch Dofs



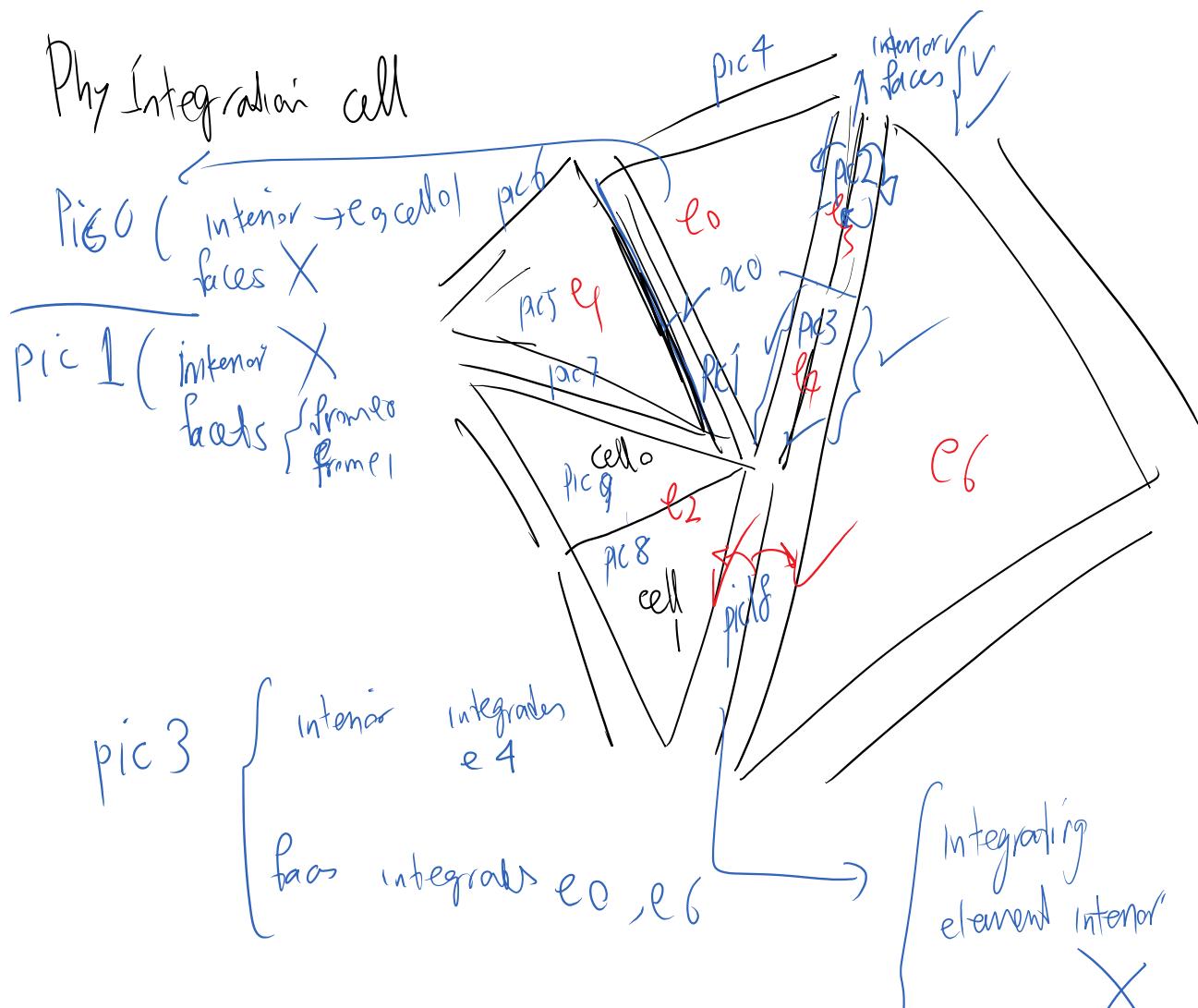


These starting point numbers play the role of dofMap for CFEMs and allow the code to assemble the matrices and vectors to the right place in global stiffness matrix.





Another important hierarchy of the Patch



class PhyIntCellBase

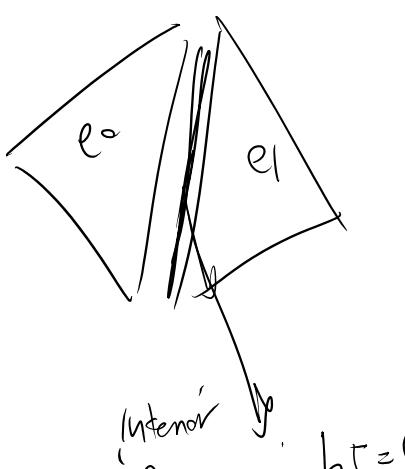
PhyInt2EBasePtr interiorIntBase;
bool bInteriorInt;

vector<PhyInt2EBasePtr> facetIntBase;

if the cell is integrating
any interior

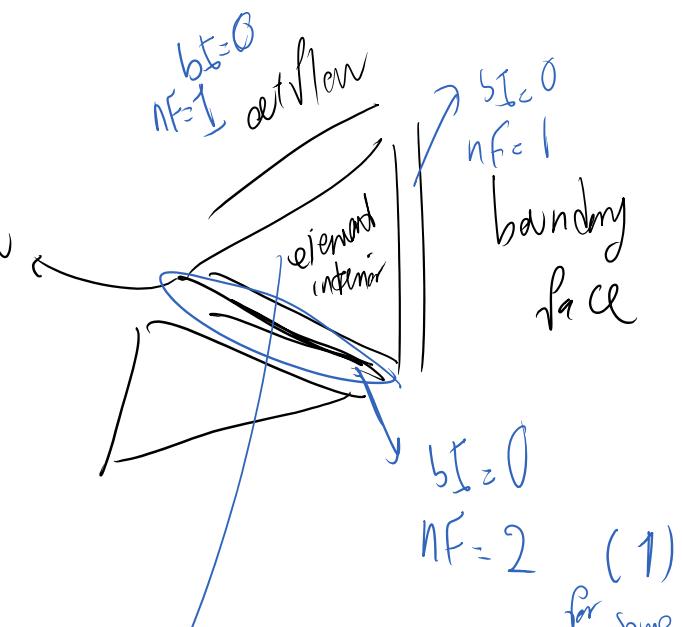
NF

size of this → how many faces it
integrates



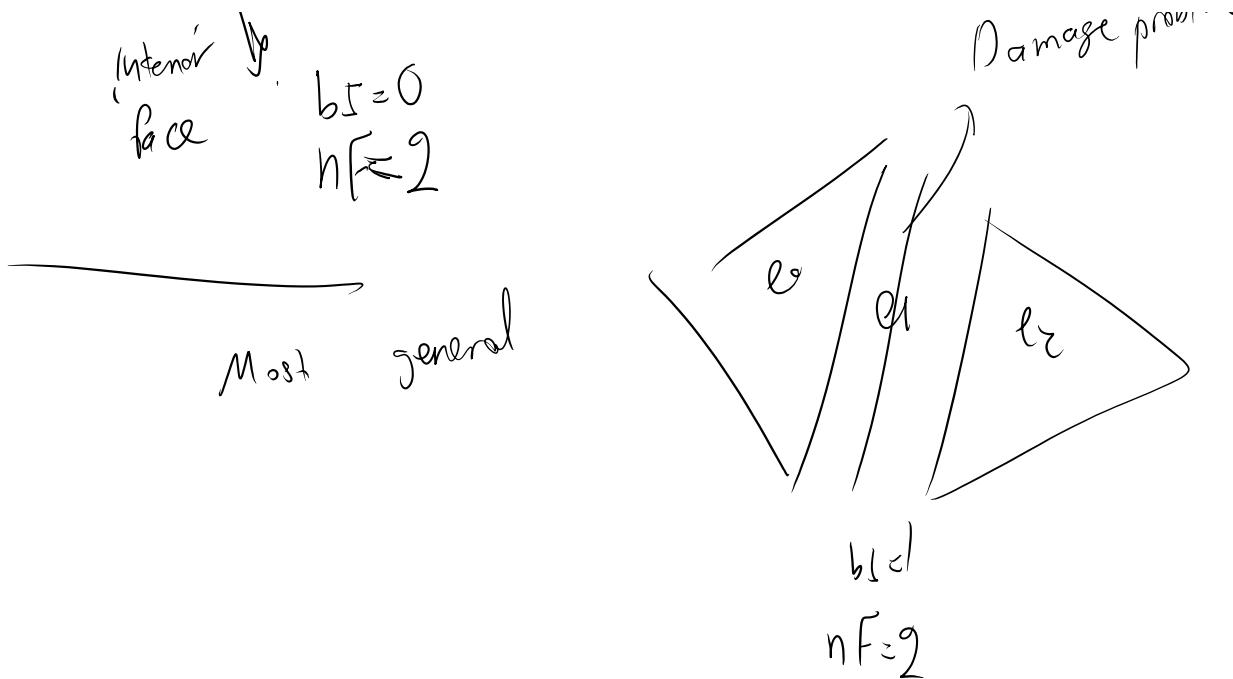
$bI=1$

$hf=0$



for some
calculation

Damage problem



PhyElements and PICs are stored in PhyPatch

Class PhyPatch

```
....  
vector<PhyElementBase*> phyElementsBase;  
int num_elementsBase;  
  
vector<PhyIntCellBase*> phyIntsBase;  
int num_phyIntsBase;
```

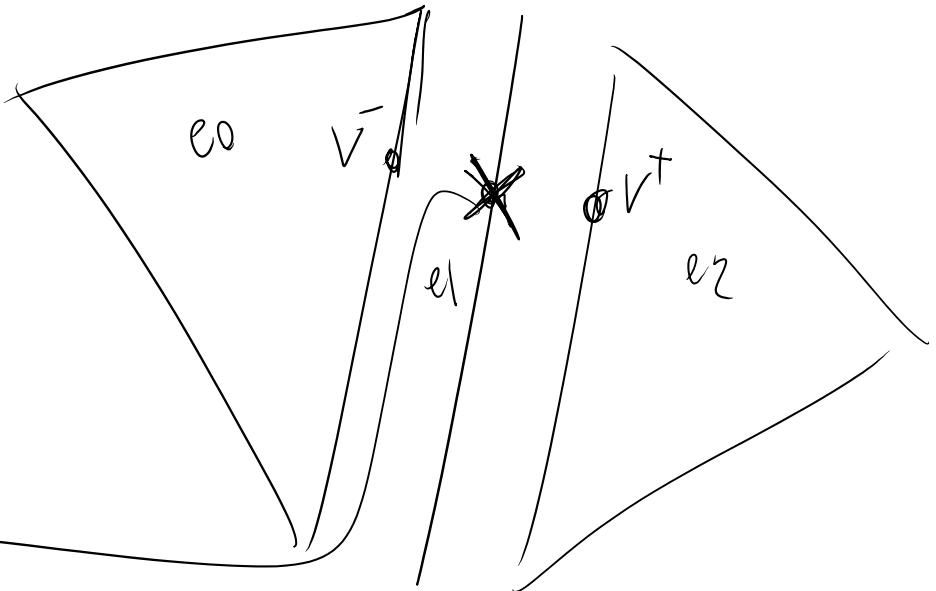
} elements

} integration cells

Storage members:

Have to have a way to name tensors.

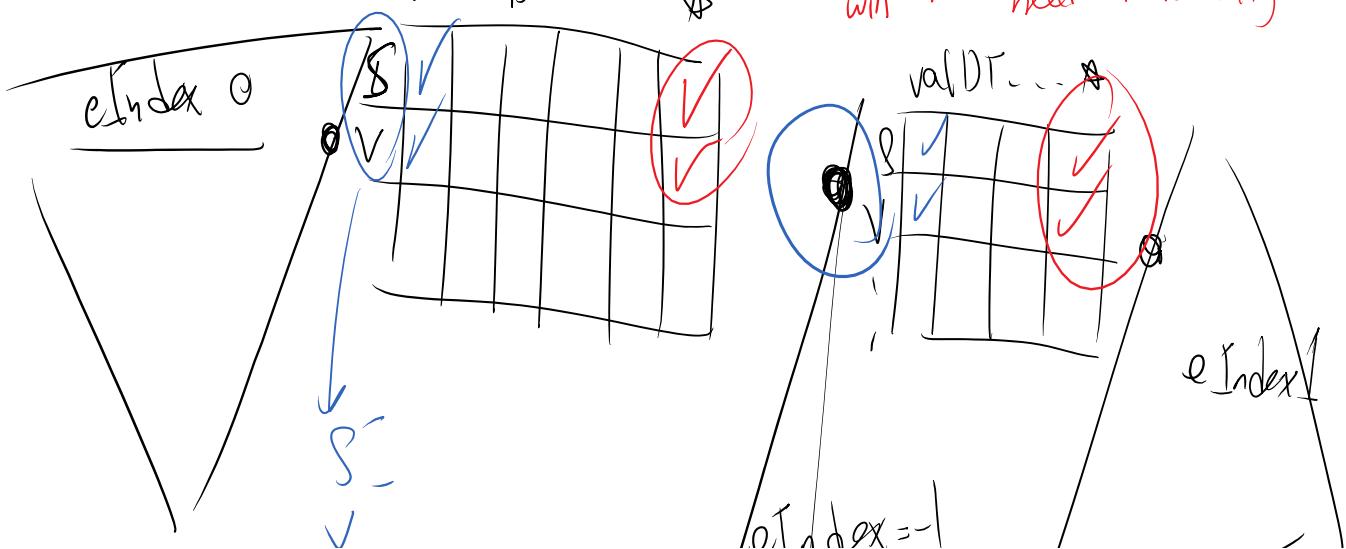
```
class PhyFldC  
...  
phyFld phyF; → U, V, S, E, ...  
compT cT; → Val, DT, Dx, ...
```

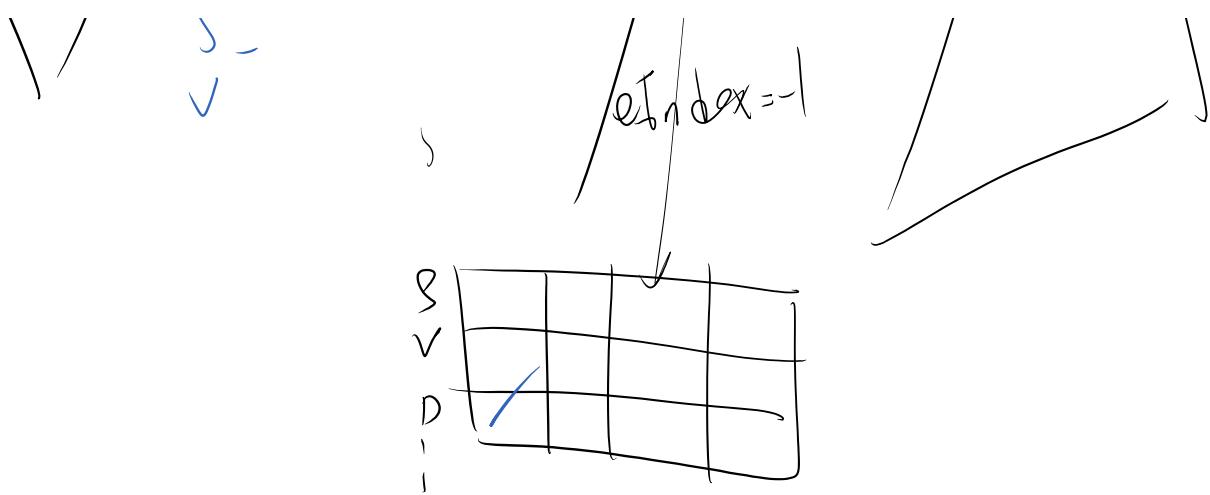


$$t_0^* = \underbrace{\left(\frac{t_0^- Z^+ + t_0^+ Z^-}{Z^- + Z^+} + \frac{Z^- Z^+}{Z^- + Z^+} (V^+ - V^-) \right)}_{\text{direction}} \quad t_i = S_{ij} n_j$$

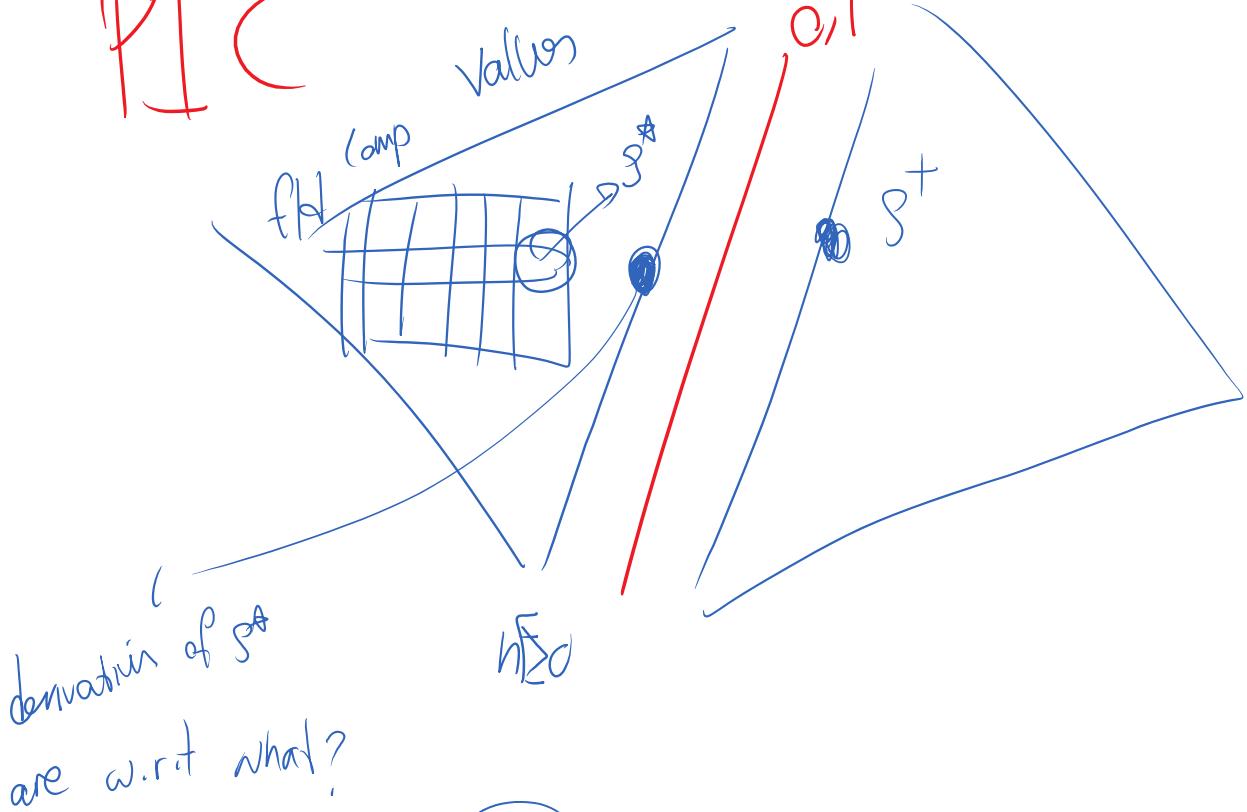
We go from a fully bonded ($D=0$) to
fully debonded solution.

$\text{valDTDX} \dots \star$ will need to store it at both places
need referencing





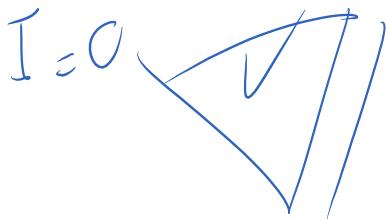
PIC



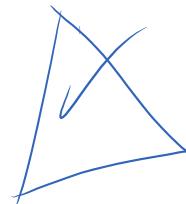
$$\frac{\partial S_o^*}{\partial a_I} = \frac{\bar{Z}^- (1)}{Z^+ Z^-} \left(\frac{\partial S_o^+}{\partial a_I} \right) - \frac{\bar{Z}^-}{Z^+ Z^*} \frac{\partial D}{\partial a_I} \frac{S_o^+}{\partial a_I} - \\
 + \frac{\bar{Z}^+}{Z^+} \left((1) \right) \frac{\partial S_o^-}{\partial a_I} - \frac{\bar{Z}^-}{Z^-} \frac{\partial D}{\partial a_I} \frac{S_o^-}{\partial a_I}$$

$$+ \frac{\bar{Z}^+}{Z^+} \left((1) \right) \frac{\partial S_o^-}{\partial a_I} - \frac{\bar{Z}^-}{Z^-} \frac{\partial D}{\partial a_I} \frac{S_o^-}{\partial a_I}$$

$$+ \frac{t}{Z^+ + Z^-} ((+) \frac{\partial J_0}{\partial a_I} - \frac{Z^-}{Z^+ + Z^-} \frac{\partial J_0}{\partial a_I}) \frac{\partial J_0}{\partial a_I}$$



$I=1$



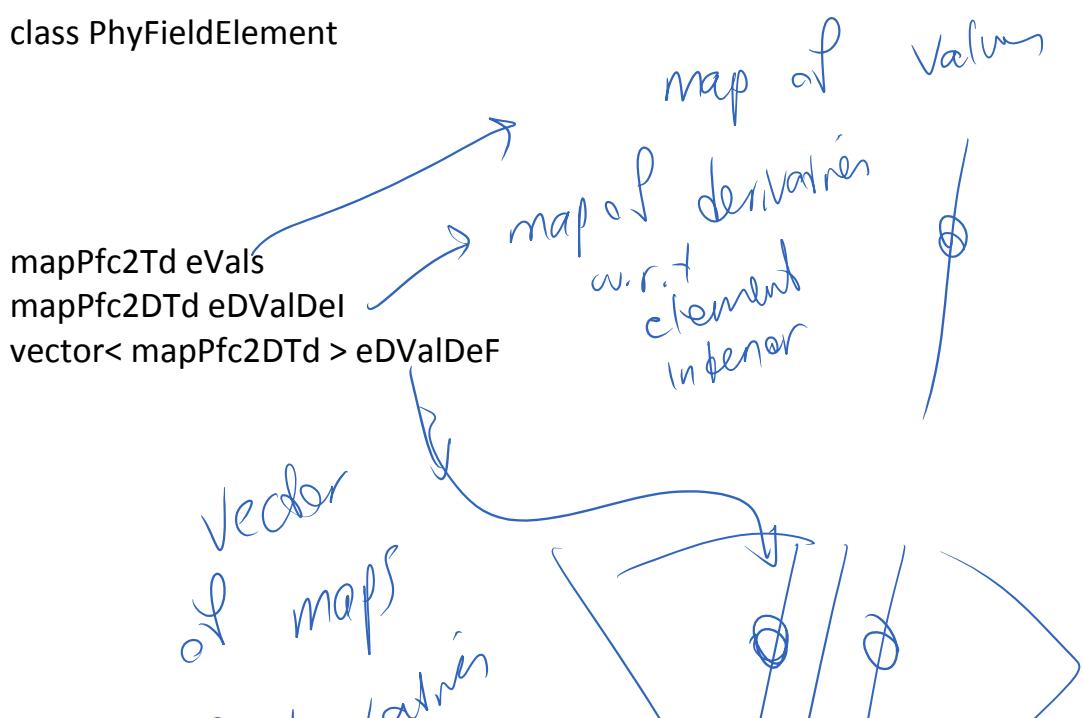
$I=-1$



So the challenge is that any component of a tensor can depend on all elements that are present at a PIC

The storage for all values and shapes for one quadrature points for one of the elements:

class PhyFieldElement



o " I
e p derivatives
av, r, t elements
attached by facets

